

28-11-18

Exam Code: 209001

Paper Code: 8357 (50)

Programme: M.Sc. (Physics) Sem: I

Course Title: Analog & Digital Electronics

Course Code: MPHL-1391

Time Allowed: 3 Hours

Max Marks: 80

Instructions to the candidates:

1. There are four Sections A, B, C and D. Candidates are required to attempt five questions in all, selecting at-least one question from each Section and fifth question may be attempted from any of the Section. Each Section is of 20 marks.

Section-A

- Q-1.** (a) Explain the construction and working of SCR and discuss some important applications of SCR.
 (b) What is EPROM? Differentiate between PROM and EPROM.
- Q-2.** (a) What is MOSFET and their types. Discuss construction and working of n-channel D-MOSFET.
 (b) A FET has a drain current of 5mA. If $I_{DSS} = 10 \text{ mA}$ and $V_{GS(off)}$ is -6V, find the value of V_{GS} .

Section-B

- Q-3.** (a) What is operational amplifier? Explain the working of differential amplifier and discuss its transfer characteristics and explain transconductance.
 (b) Explain how an Op-Amp works as an differentiator.
- Q-4.** (a) What do you mean by non-inverting and inverting input of a differential amplifier.
 (b) Discuss the operation of summing amplifier.

Section-C

- Q-5.** (a) What is an exclusive -OR gate. Give its all definitions. Why it is called odd-parity tester.
 (b) What is full adder? Explain working of full adder in serial and parallel mode.
- Q-6.** (a) Prove that $(B + BC)(B + \bar{B}C)(B + D) = B$
 (b) Show that $(A\bar{B}C + B + B\bar{D} + AB\bar{D} + \bar{A}C = B + C$
 (c) Prove that $(A + \bar{B}\bar{C})(A\bar{B} + ABC) = 0$
 (d) Distinguish between multiplexer and a de-multiplexer. Discuss few applications of multiplexer.

Section -D

- Q-7.** (a) What is a counter and discuss their type. Explain the functioning of asynchronous counter as up and down counter.
- (b) What is a flip flop? Draw and explain the working of S-R flip flop. What was wrong with it and how does J-K flip flop solved the ambiguity condition of SR flip flop.
- Q-8.** (a) Define a register. Explain the working of serial in serial out register.
- (b) Describe in detail the working of digital to analog converter.

Exam Code: 209001

Paper Code: 8358 (50)

Programme : M.Sc. (Physics) Semester-I

Course Title: Mathematical Physics

Course Code: MPHL-1392

Time Allowed: 3 Hours

Max Marks: 80

Note : Attempt Five Questions. One Question from each section is compulsory. Fifth question can be attempted from any section.

Section A

I. Using Rodrigue's formula, prove that

$$i) \int_{-1}^{+1} P_0(x) dx = 2$$

$$ii) \int_{-1}^{+1} P_n(x) dx = 0$$

$$iii) \int_{-1}^{+1} x^2 P_5(x) dx = 0$$

$$\begin{array}{r} 4+6+6 \\ 6+7+7 \end{array}$$

2. (i) Generate a group from two elements A and B only to relation $A^2 = B^3 = (AB)^2 = E$. What will be the order of this group.

(ii) Prove that the groups of order two and three are always cyclic.

$$\begin{array}{r} 8+6+6 \\ 6+5+5 \end{array}$$

- (iii) Starting from the generating function for Bessel's function $J_n(x)$, find the Jacobi series.

Section B

3. (i) Define Gamma Function. Show that

(a) $\Gamma(n) = (n-1)!$

(b) $\Gamma\left(\frac{1}{2}\right) = \sqrt{\pi}$

- (ii) Show that $j_{-n}(x) = (-1)^n j_n(x)$

4. Show that Bessel function $J_n(x)$ is the coefficient of z^n in the expansion of $e^{x(z - 1/z)/2}$ in the ascending or descending power of z .

Section C

5. State and prove Taylor's series.

6. (i) Using method of contour Integration, show that

$$\int_0^{2\pi} \frac{d\theta}{1-2p\cos\theta+p^2} = \frac{2\pi}{1-p^2}$$

For $0 < p < 1$

- (ii) Prove that

$$\int_0^{\pi} \frac{a d\theta}{a^2 + \sin^2 \theta} = \frac{\pi}{\sqrt{1+a^2}} \quad a > 0$$

Section D

7. (i) Show that

$$A = \begin{bmatrix} -xy & -y^2 \\ x^2 & xy \end{bmatrix}$$

is a tensor

and

$$B = \begin{bmatrix} -xy & y^2 \\ x^2 & -xy \end{bmatrix}$$

is not a tensor

- (ii) Show that any tensor of rank 2 can be expressed as sum of symmetric and anti-symmetric tensor, each of rank 2.

8. (i) Use the Fourier's theorem to analyse the periodic curve such that the displacement is linear with time from $y=a$ at $t=0$ to $y=0$ at $t=T$

- (ii) State and prove convolution Theorem.

Exam Code: 209001

Paper Code: 8359 (50)

Programme: M. Sc. (Physics) Sem-I

Course Title: Classical Mechanics

Course Code: MPHL-1393

Time Allowed: 3 Hours

Max Marks: 80

Instructions:

Attempt five question in all selecting at least one question from each section(unit).

Unit –I

1. a) Derive the Neilson form of Lagrange's equation

$$\frac{\partial T'}{\partial q'} - 2\frac{\partial T}{\partial q} = Q_j$$

From Lagrange's equation of motion.

- b) Set up lagrangian for spherical pendulum and obtain equation of motion for it.

- c) What are holonomic and non-holonomic constraints? Explain with example. 6,6,4

2. a) Discuss symmetry properties and conservation theorems in lagraingian and Hamiltonian formulation.

- b) Using navigational principle, derive an expression for growth of current in LR circuit.

8,8

Unit-II

3. a) Derive the equation for the orbit of a particle moving under the influence of an inverse square central force field.

b) A particle moves in a circular orbit in a central force field given by the potential $V = -\frac{k}{r}$ ($k > 0$). Suddenly k becomes $\frac{k}{2}$. Show that the orbit becomes parabolic.

- c) What are the values of eccentricity for a orbit to be hyperbola, parabola, ellipse or circle.

8,6,2

4. a) For central force problems, show that the angular momentum being invariant implies that $\frac{dA}{dt} = \text{constant}$, where dA is the area swept by the radius vector in time dt . Draw a sketch to indicate a area dA . What is the physical implication of $\frac{dA}{dt} = \text{Constant}$.

- b) Examine the scattering produced by a repulsive central force $f = kr^{-3}$. Show that the differential cross section is given by

$$(\theta)d\theta = \frac{k}{2E} \frac{(1-x)dx}{x^2(2-x)^2 \sin \pi x} \quad 8,8$$

Where x is the ratio $\frac{\theta}{\pi}$ and E is the energy.

Unit-III

5. a) Set up equations of motion in poisson bracket formulation and thus deduce Hamilton equation.

- b) Show that the transformation $P = q \cot p$, $Q = \log\left(\frac{\sin p}{q}\right)$ is canonical. Also show that the generating function is $F = e^{-Q}(1 - q^2 e^{2Q})^{1/2} + q \sin^{-1}(q e^{-Q})$ 8,8

6. a) Derive Hamilton's equations from variational principle.

- b) The lagrangian of an harmonic oscillator of unit mass is $L = \frac{1}{2} \dot{x}^2 - \frac{1}{2} \omega^2 x^2 - \alpha x^3 + \beta x x^2$; α and β being constants. What is Hamiltonian.

- c) What are cyclic coordinates? Explain. 8,6,2

Unit-IV

7. a) What are Euler angles. Represent a general rotation matrix as a product of three simple rotation matrices.

- b) What is an orthogonal transformation? For infinitesimal Rotations, the transformation matrix is written as $A = 1 + \epsilon$. Show that the orthogonality of A implies that ϵ is anti symmetric. 8,8

8. a) Find the frequency and normal coordinates of vibration of a linear triatomic molecule, considering small displacement from the mean position.
- b) Explain briefly small oscillations and their application.
- c) What do you mean by principle axis transformation? 10, 4, 2

Exam Code : 209001

Paper Code : 8360 (50)

Programme : M.Sc. (Physics) Semester-I

Course Title : Computational Techniques

Course Code : MPHL-1394

Time Allowed : 3 Hours

Max Marks : 80

Note: Attempt FIVE questions in all, selecting at least ONE question from each section.

Section A

1. a) Solve a 4x4 matrix equation with parameter r and also calculates determinant of the matrix.
b) Calculate the Perfect numbers. (20)
2. a) Explain the followings
 - i. Arithmetic operators
 - ii. Relational operators
 - iii. Logical operators
 b) Plot $y = \sin x$ where $0 \leq x \leq \pi$ taking 10 linearly spaced points on the given interval. Label the axis and put a suitable title to the created plot. (20)

Section B

3. Develop the method of Newton formula for Backward interpolation. (20)
4. Given the table of values as

x	5	6	9	11
y	12	13	14	16

Find $Y(10)$. (20)

Section C

5. Derive Simpson's $1/3^{\text{rd}}$ rule for numerical integration and use it to prove that $\log_e 7$ is approximately 1.9587 using

$$\int_1^7 \frac{dx}{x} \quad (20)$$

6. Using Runge- Kutta fourth order method to approximate y , when $x=0.1$, $x=0.2$ and $x=0.3$. Given that $y=0$ when $x=0$ and

$$\frac{dy}{dx} = x + y \quad (20)$$

Section D

7. Derive the Regula Falsi method. Use this formula to find the roots of the non-linear equation

$$x^3 - 2x - 5 = 0$$

lies between 1.75 and 2.5. Find the root correct to four significant digits.

(20)

8. Solve the following system of equations using Matrix Inversion method.

$$2x_1 - 2x_2 + 5x_3 = 13$$

$$2x_1 + 3x_2 + 4x_3 = 20$$

$$3x_1 - x_2 + 3x_3 = 10$$

(20)